

High-resolution hybrid atomic quantum gravimeter with real-time vibration compensation

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EGU

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iXblue



Absolute Quantum Gravimeter

- discrete sensor: DC - 1 Hz
- Sensitivity of $750 \text{ nm/s}^2 \leftrightarrow 1.1 \times 10^6 (\text{nm/s})^2 / \text{Hz}$
- Drift-free: long-term stability below 10 nm/s^2



Limited by
seismic vibration

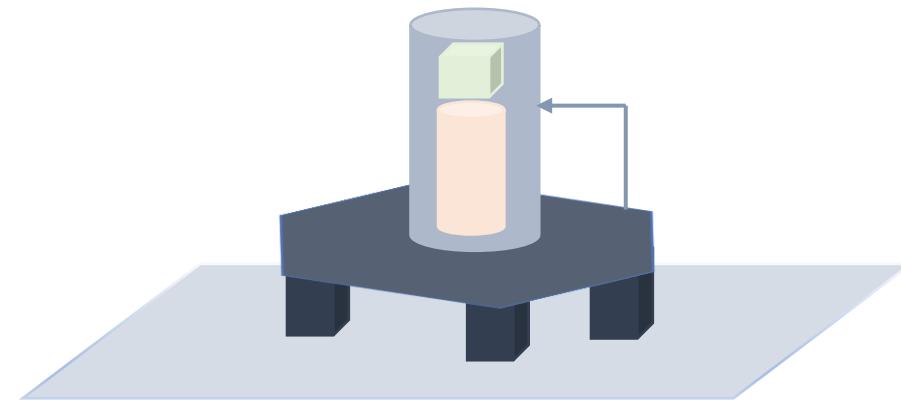
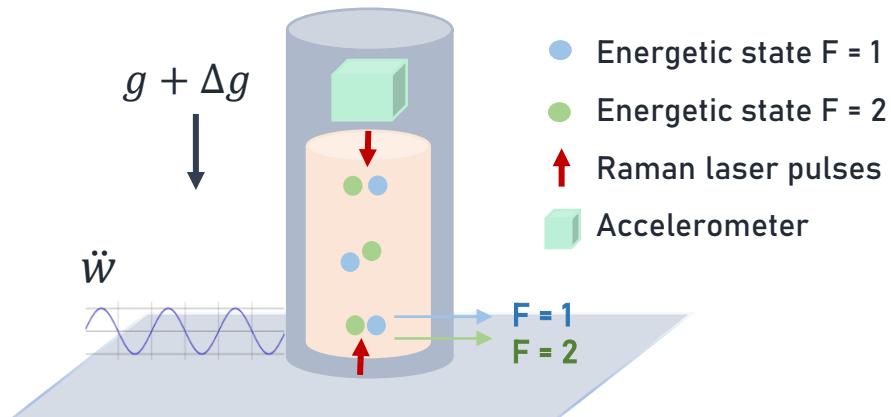
<https://www.ixblue.com/quantum-gravimeter/>

① Vibration compensation with an auxiliary sensor

Performances of AQG with Titan from Nanometrics

Ground compensation with home made sensor

② Active isolation vibration platform



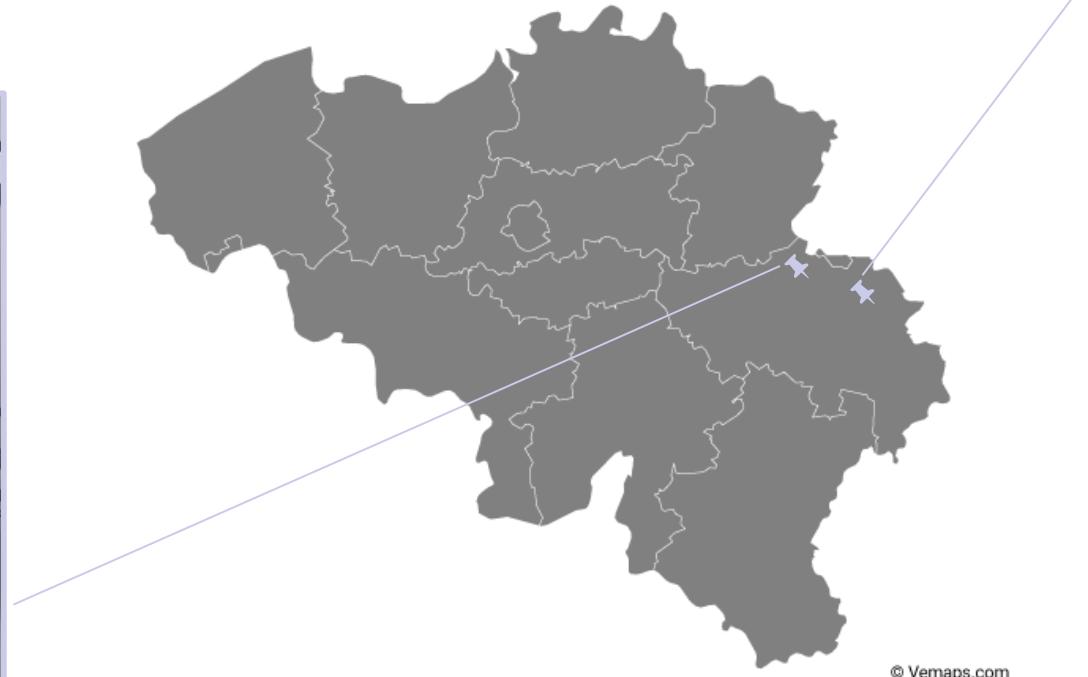
Context

- ① Vibration compensation with an auxiliary sensor

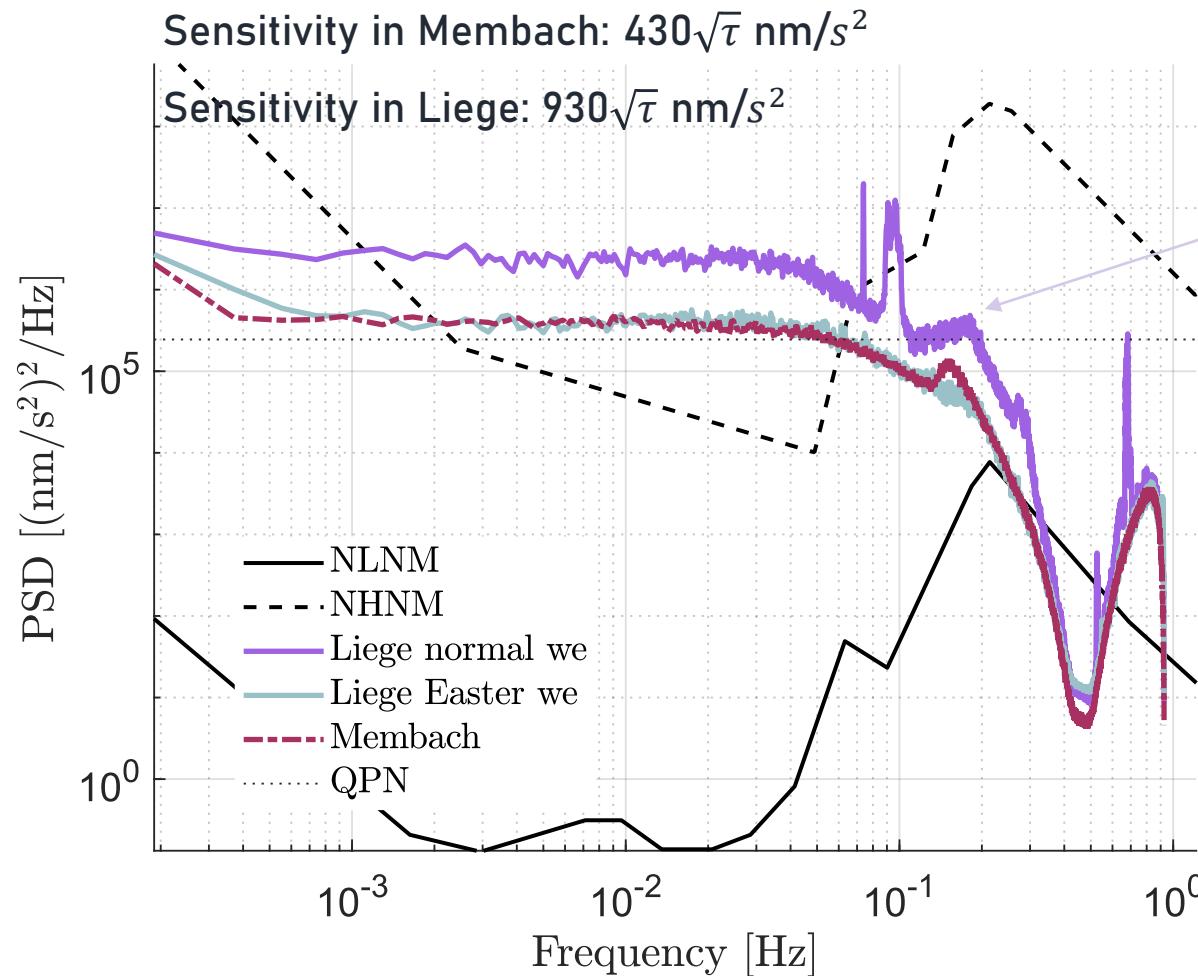
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- ② Active isolation vibration platform

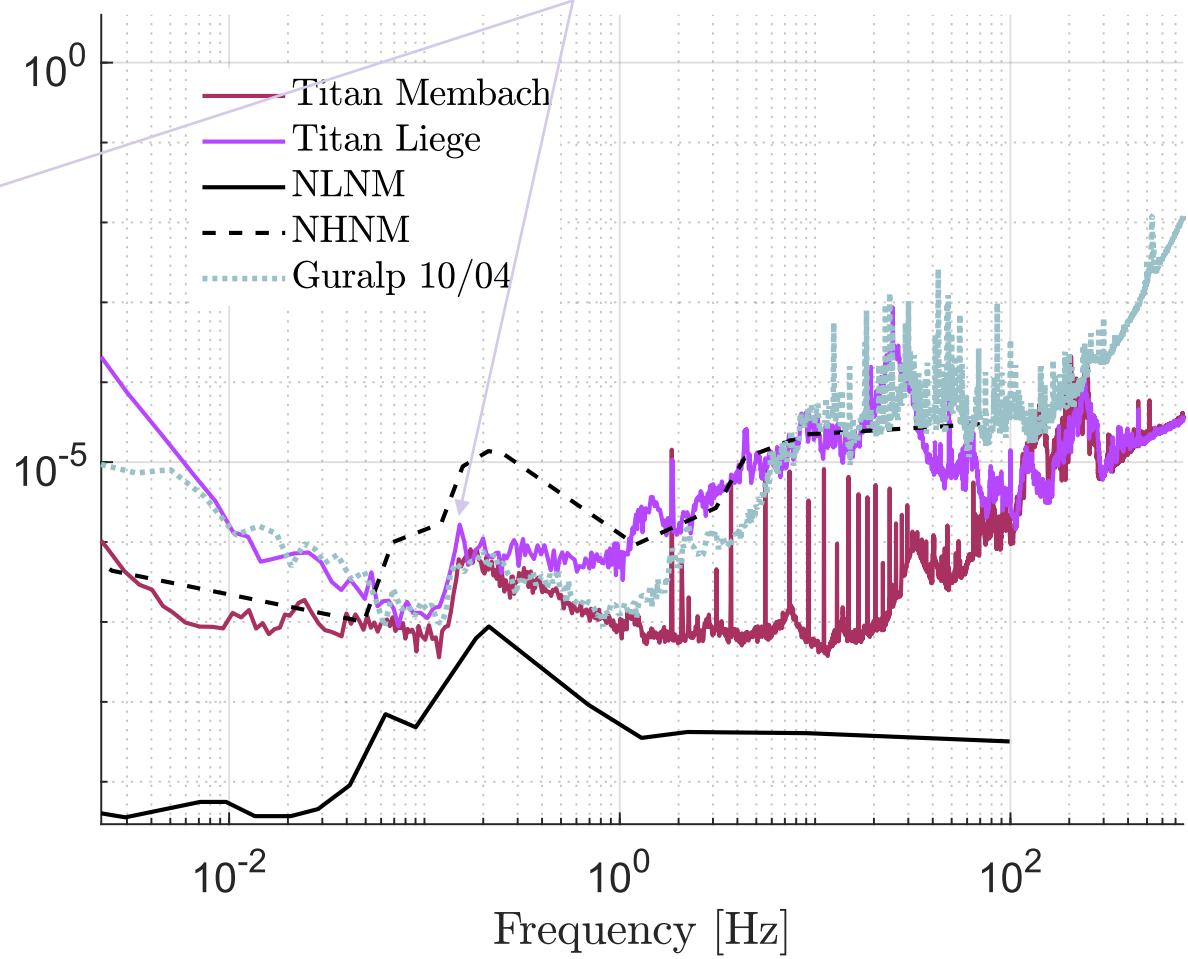


1. Real time ground compensation with Titan



Lower the seismic motion, lower is the gravity signal

Slight increase in the ASD of the gravity residuals due to the microseismic peak ? At 0,15 Hz



- Which part of ground motion is impacting gravity ?
- Which part of ground motion is not well subtracted ?

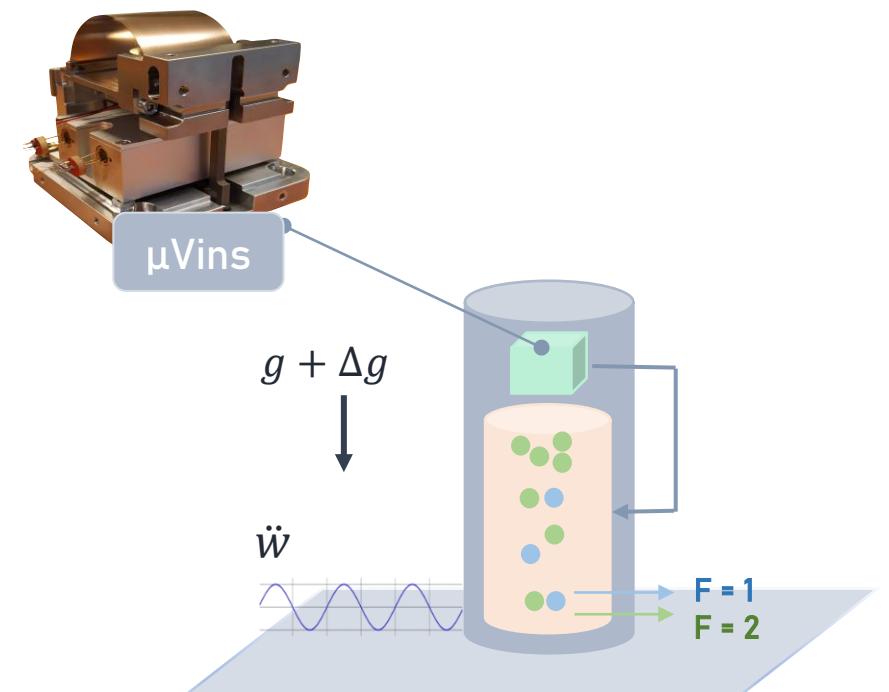
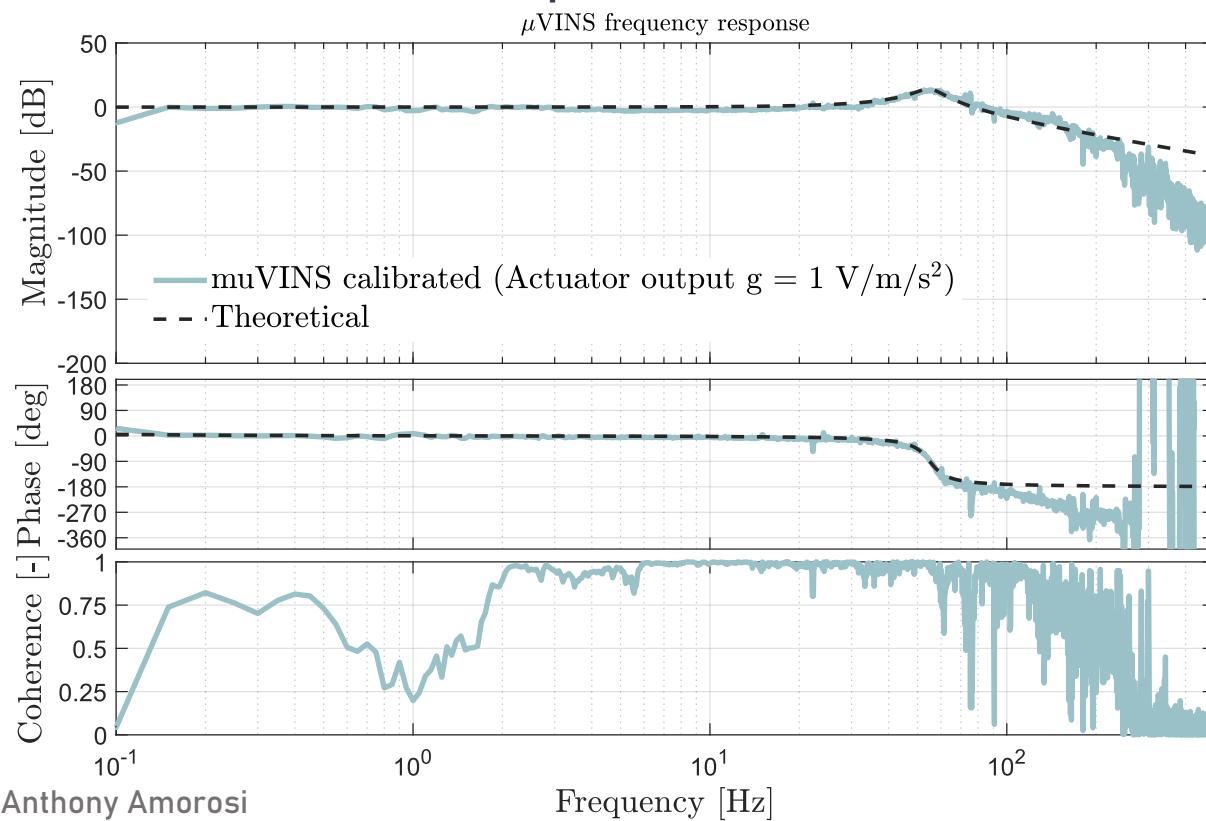
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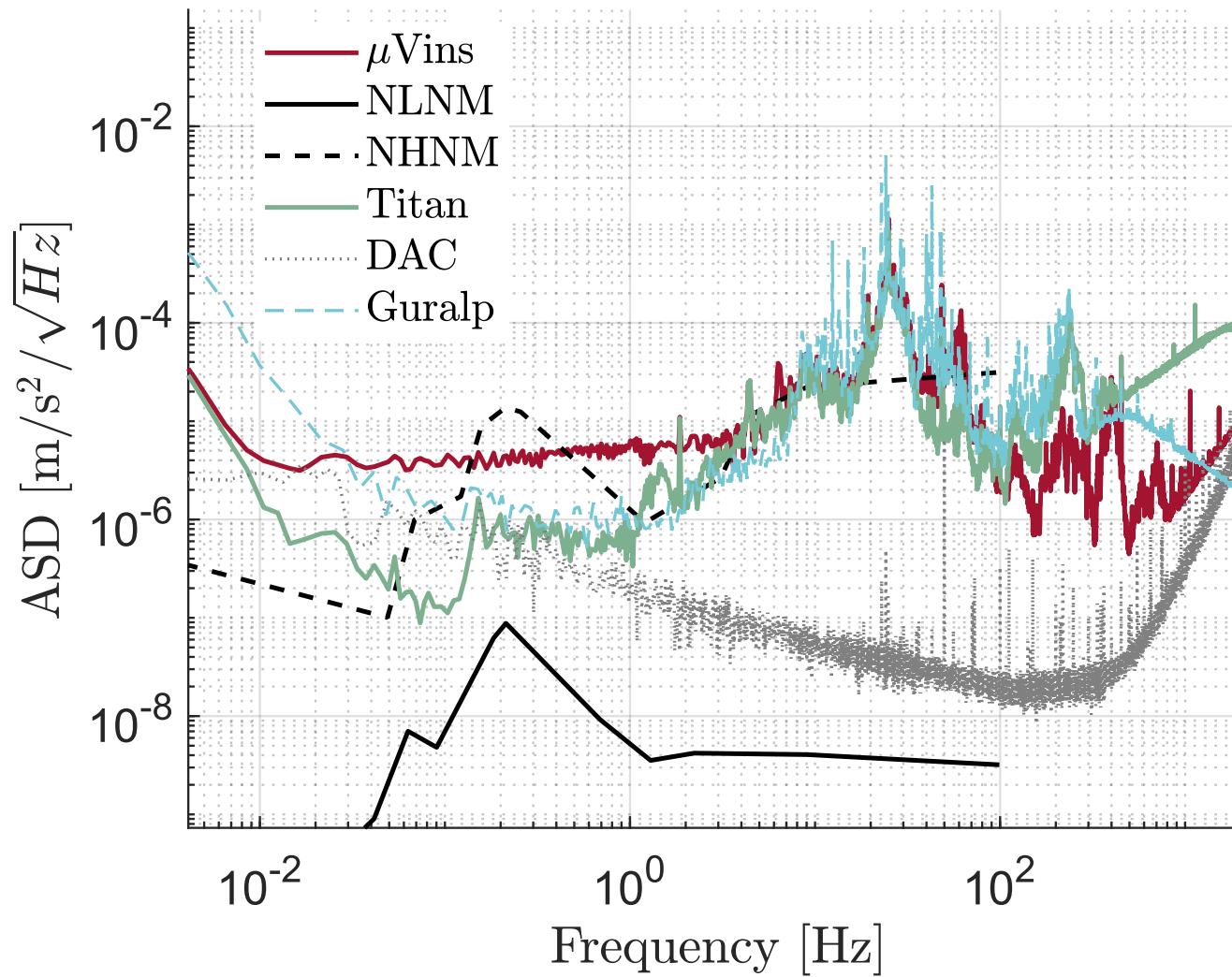
Ground compensation with home made sensor

② Active isolation vibration platform

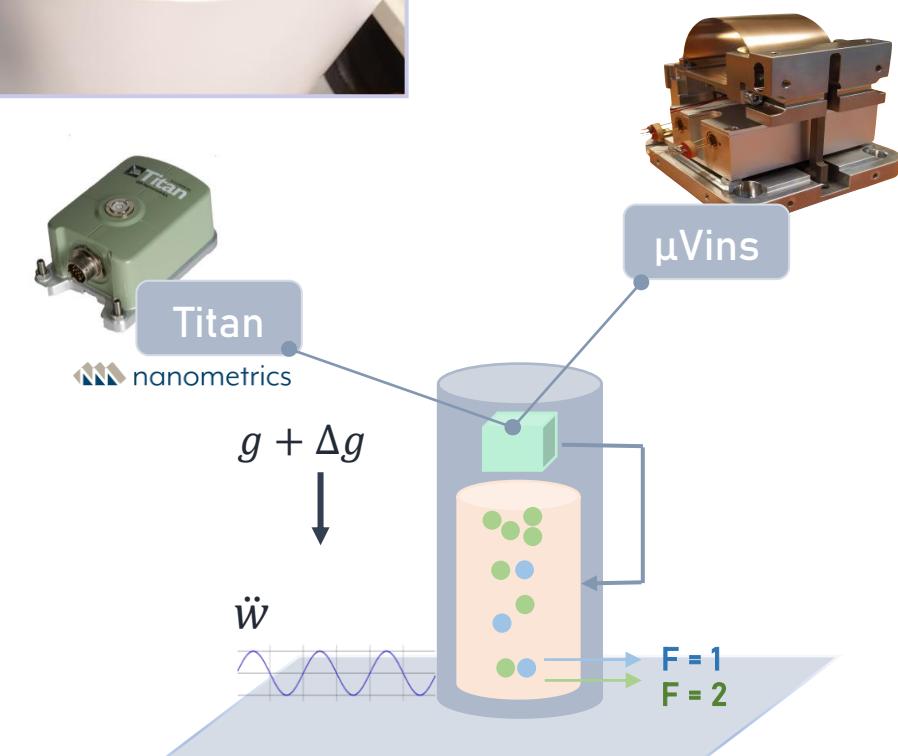
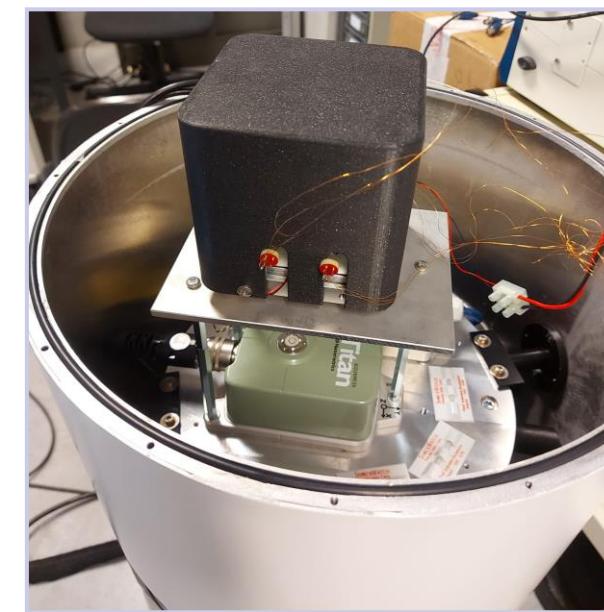


1. Real time ground compensation with μ Vins

Preliminary result



Saturated from 4 Hz ? Work in progress



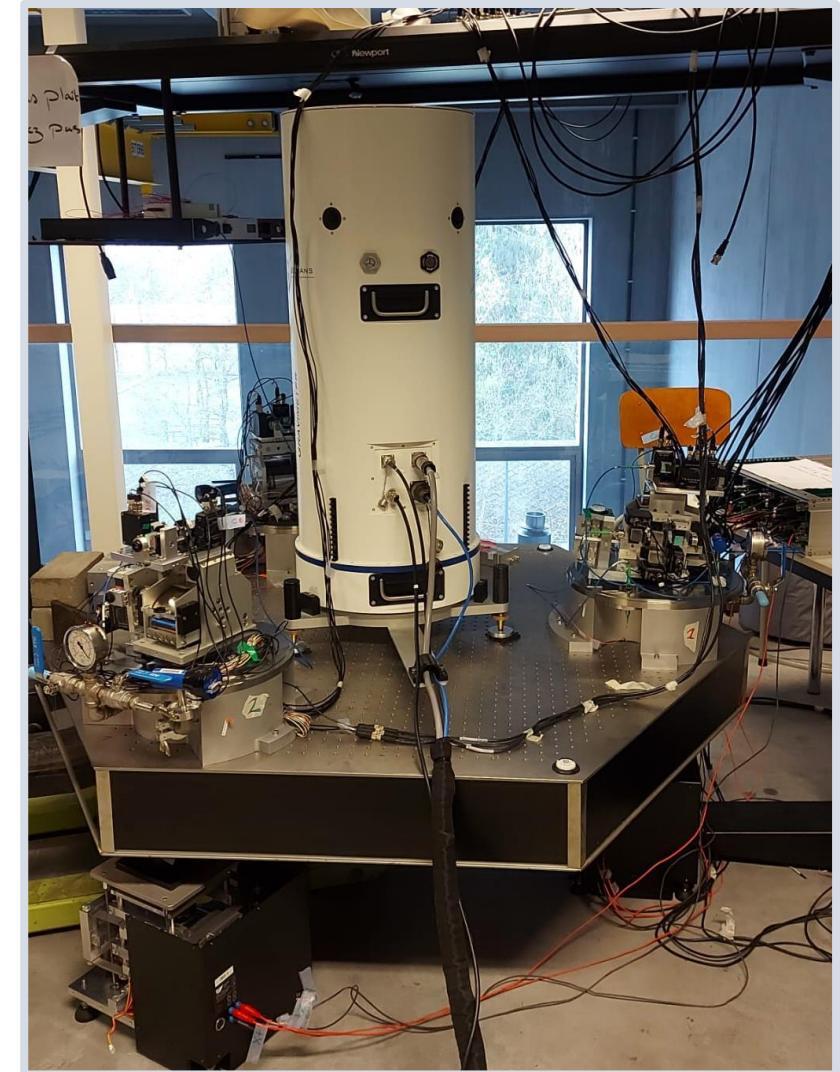
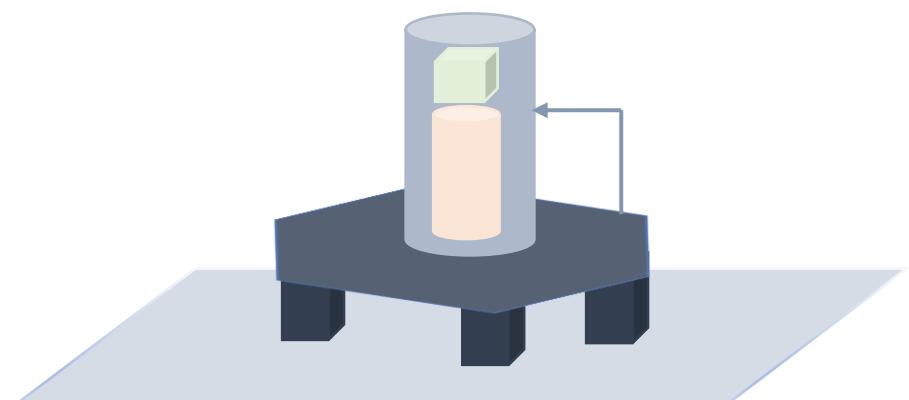
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① Vibration compensation with an auxiliary sensor

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2. Active Isolation

Preliminary result

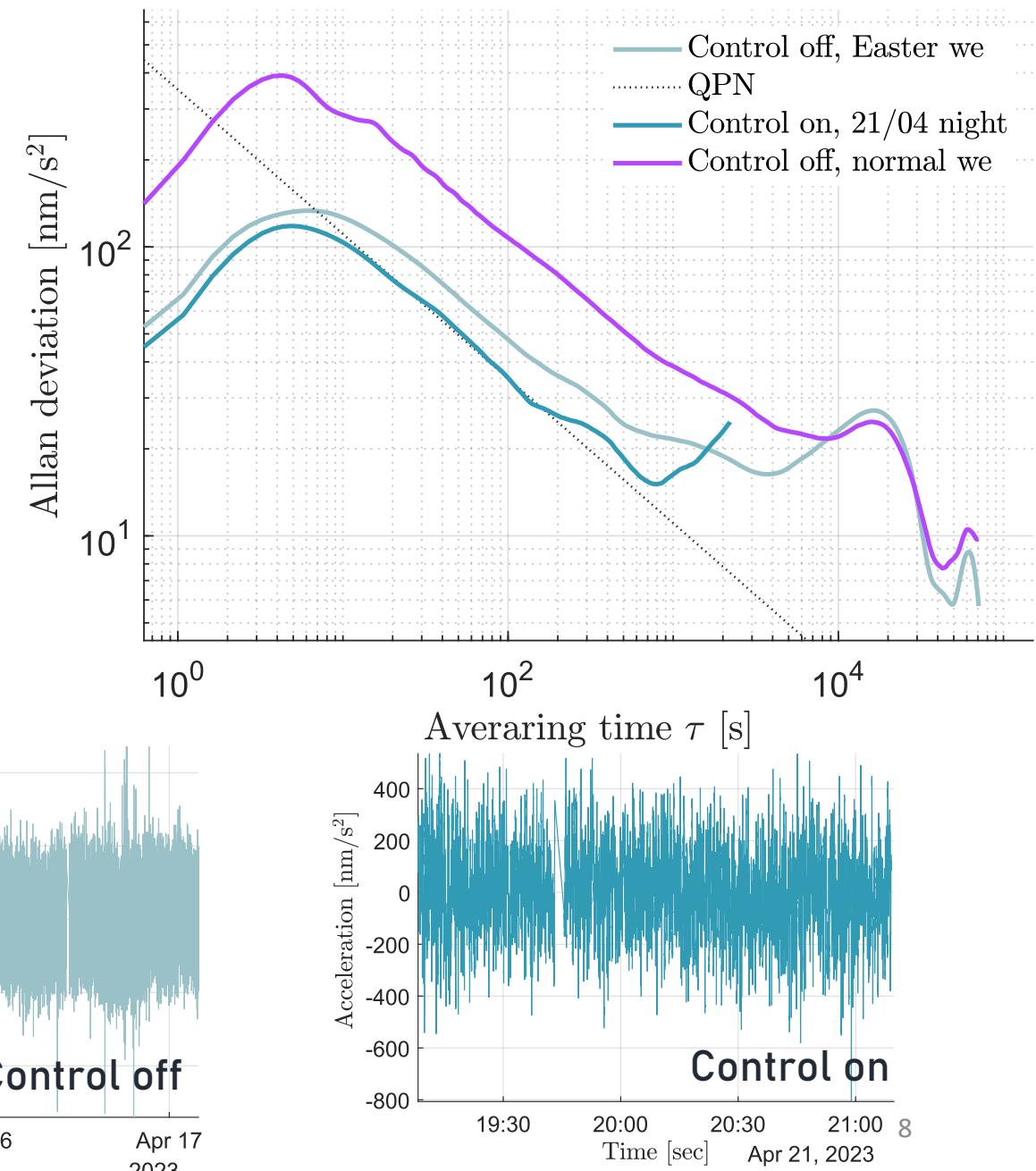
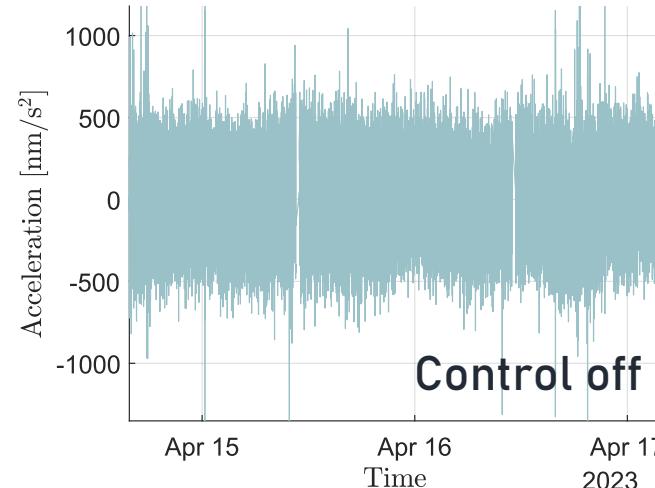
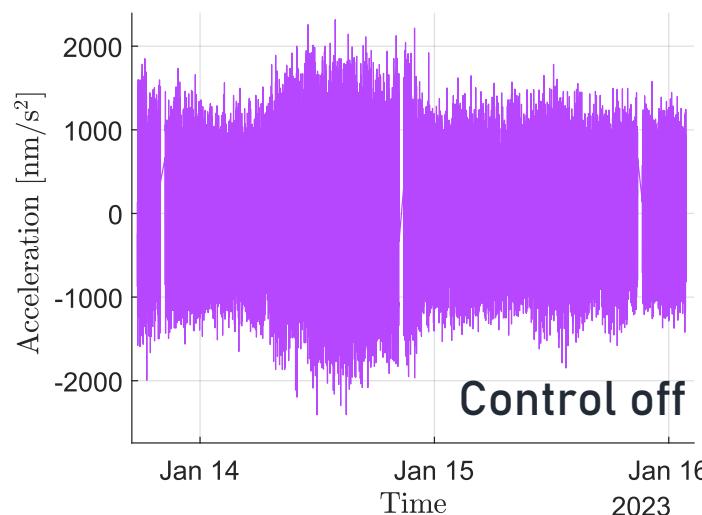
Lower the seismic motion, lower is the gravity signal

→ Reaching the intrinsic noise of the gravimeter with active control:

Quantum Projection Noise at $350\sqrt{\tau}$ nm/s²

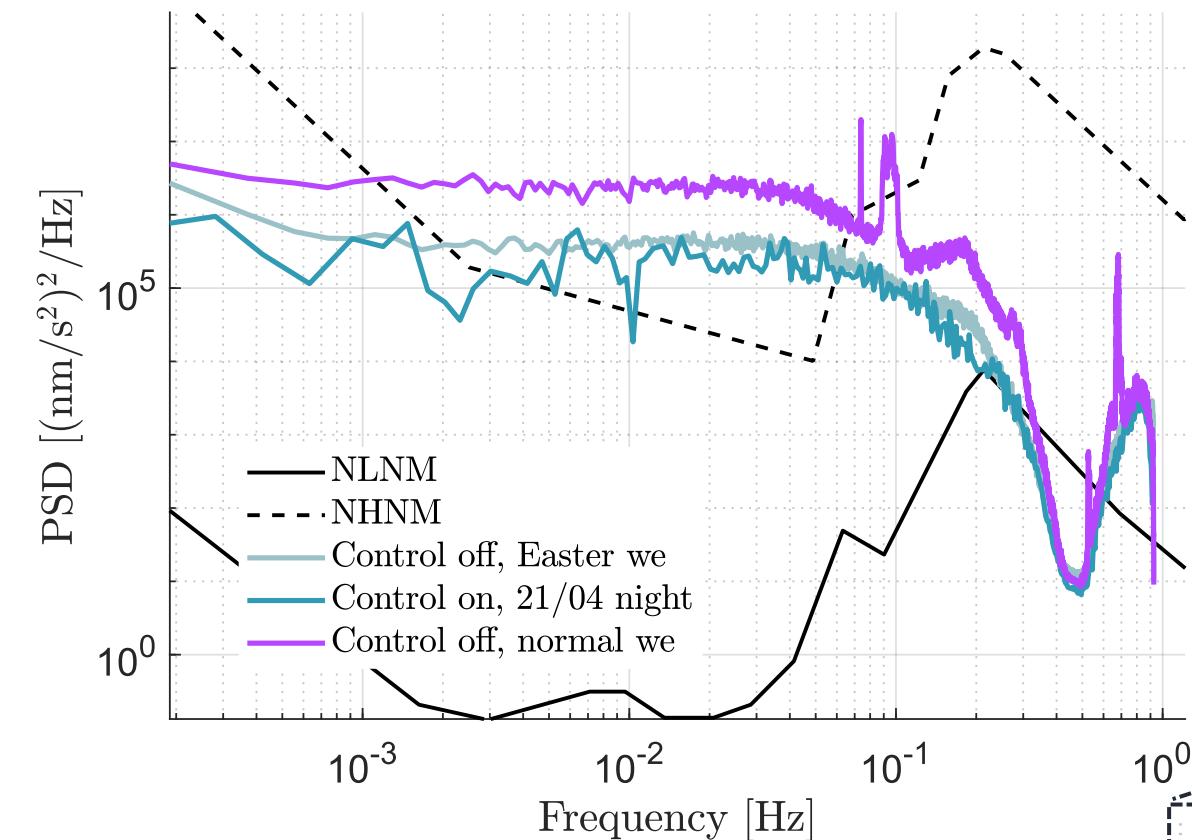
→ Titan noise, Acquisition noise are not limiting the AQG

→ Ground compensation strategy is not fully subtracting ground signal

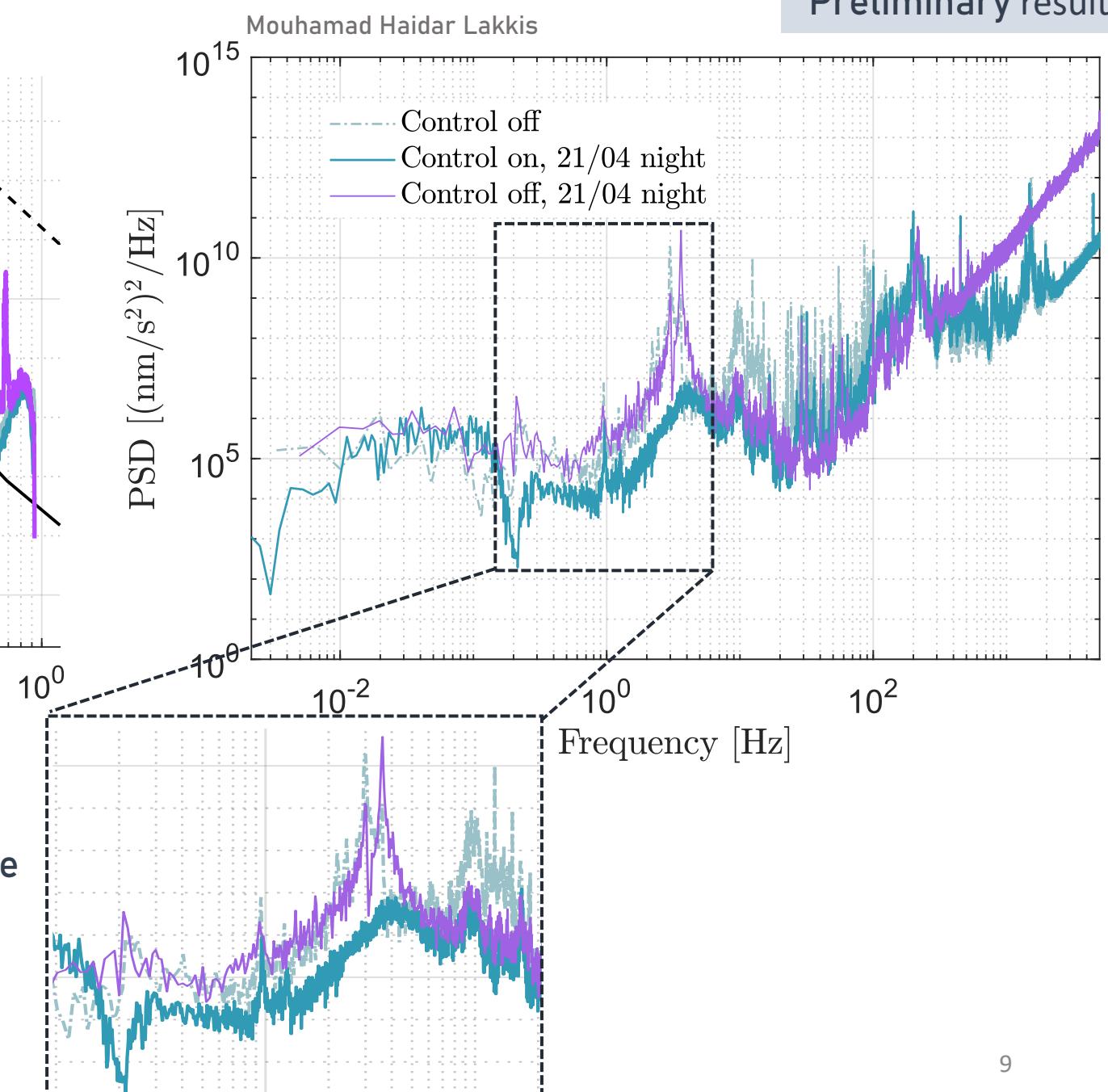


2. Active Isolation

Preliminary result

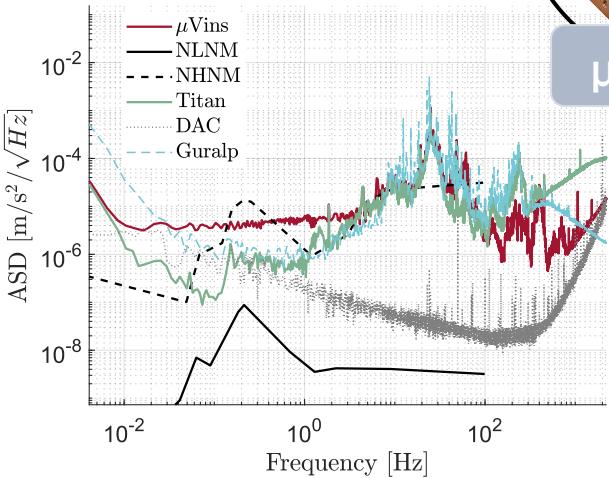


Active isolation in 0.1 – 10 Hz frequency range



Summary

Limiting noise below 4 Hz
To be investigated



μ Vins

Hybrid sensor: AQG + classical
accelerometer



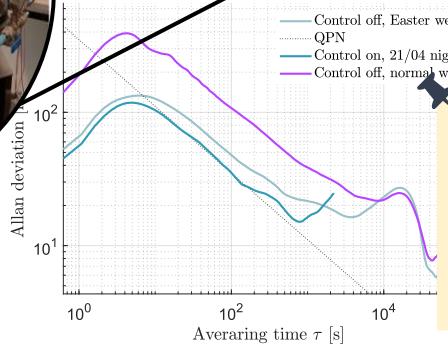
iXblue

Atomic
Quantum
Gravimeter

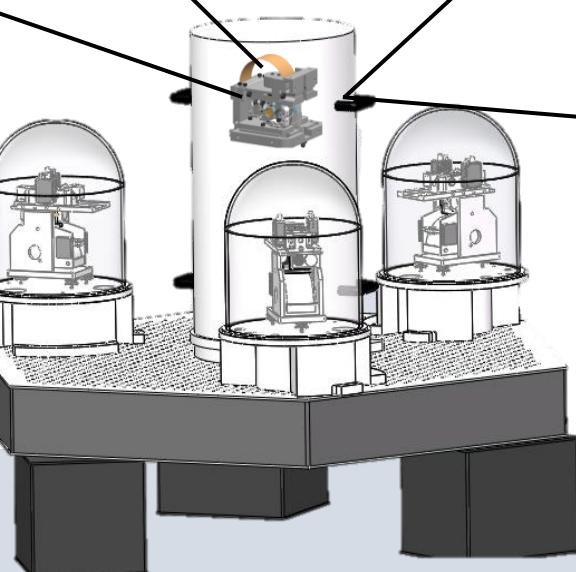
Performance limited by
ground compensation
strategy: ground poorly
subtracted in noisy
environment



Active
platform



Reaching the intrinsic
noise of the AQG!
 $350\sqrt{\tau} \text{ nm/s}^2$



Thank you for the attention

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<http://www.pmlab.be/team>

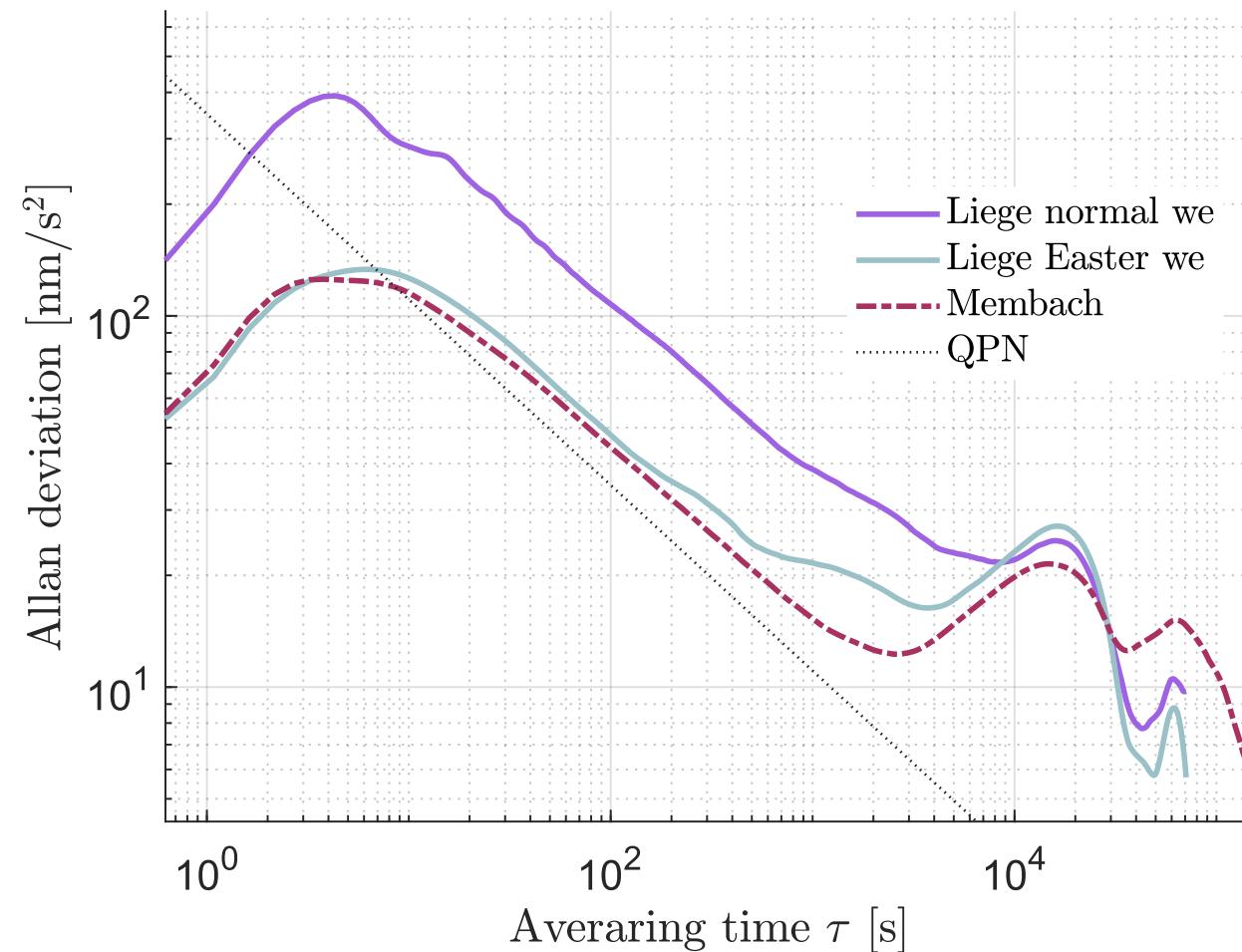


Additional slides

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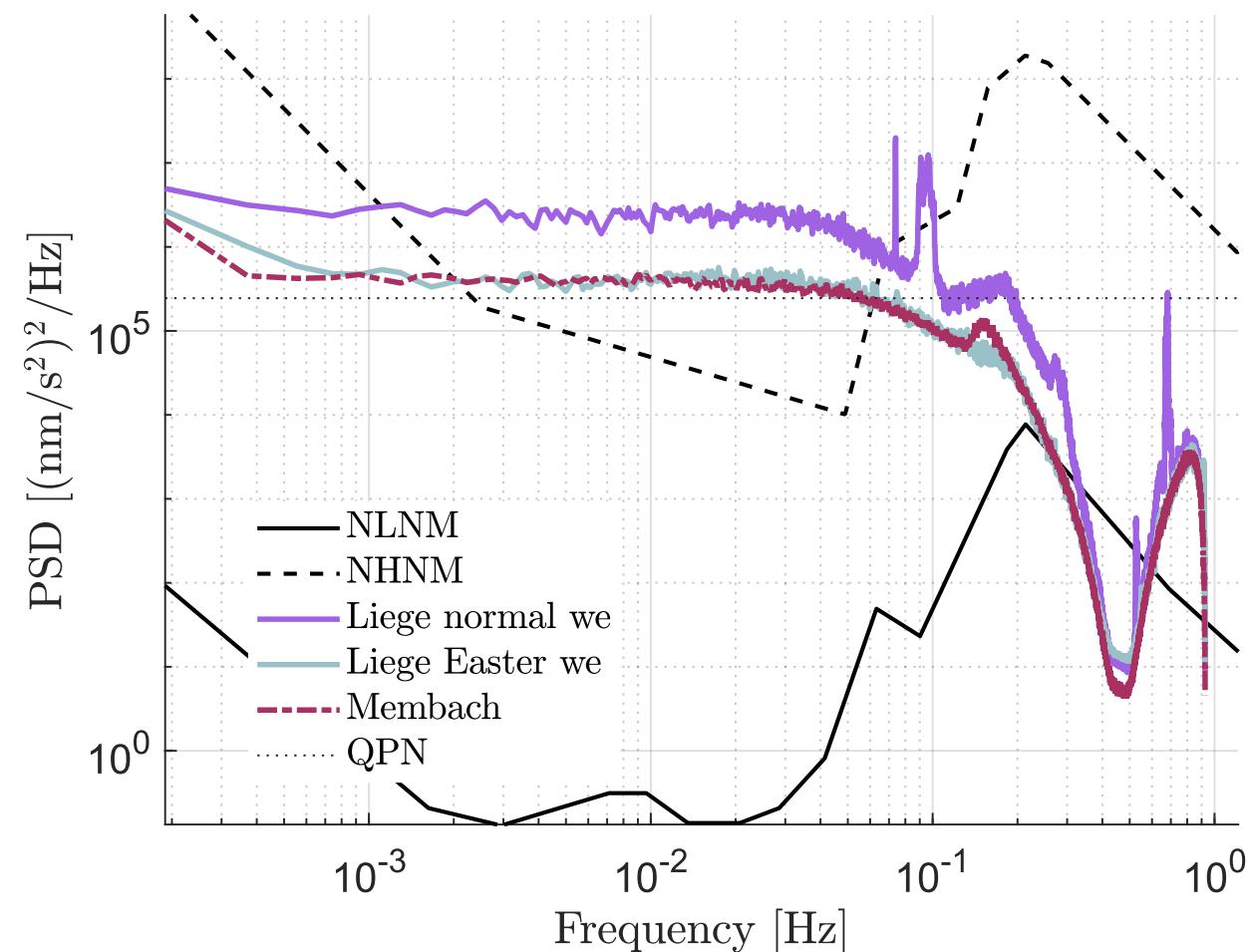


1. Real time ground compensation with Titan



Mean AQG: 9810467017.68093 +/- 190 μ Gal

Mean FG5: 9810467725.6 +/- 0.8 μ Gal



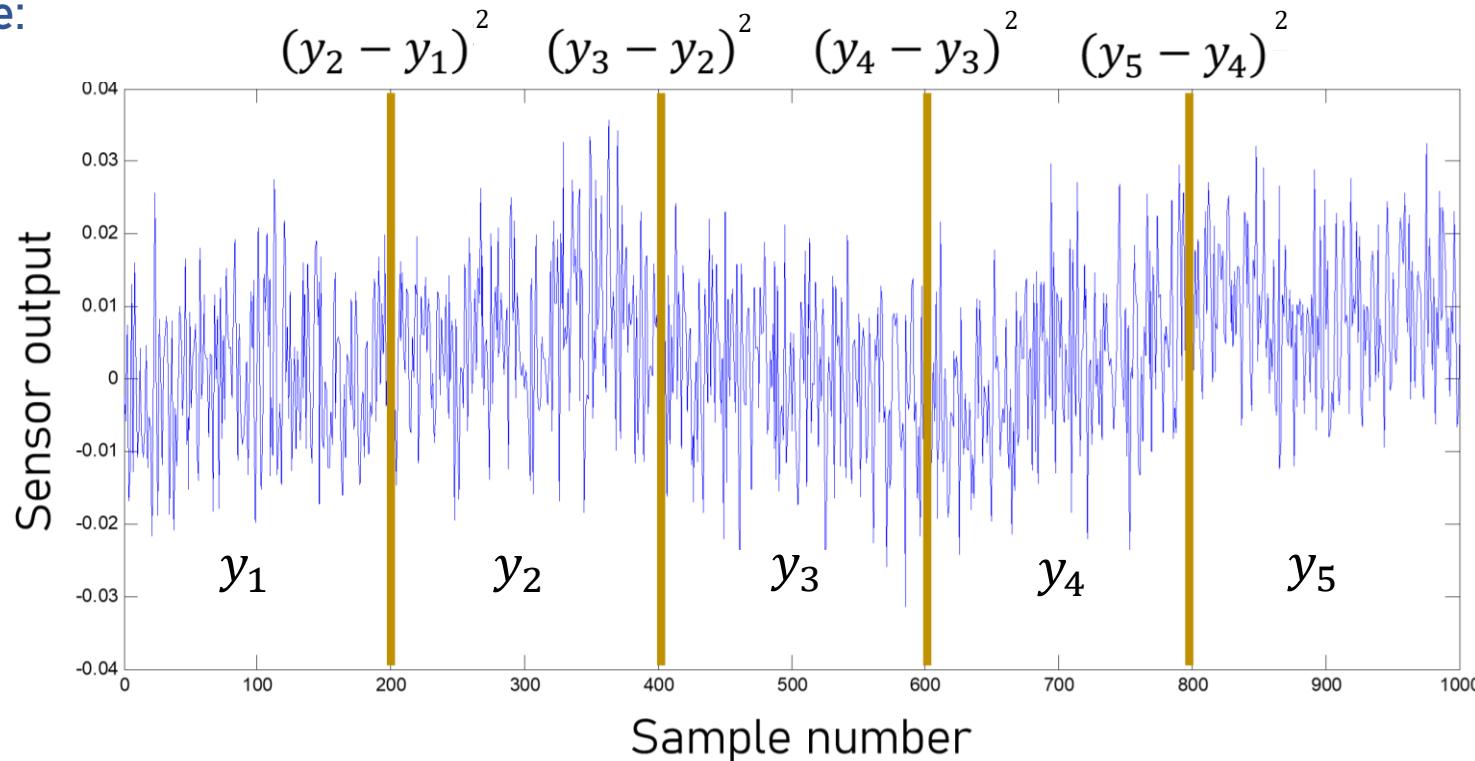
Allan Deviation

What is it ?

Allan Variance: $\sigma_y^2(\tau) = \frac{1}{2} \langle (y_{n+1} - y_n)^2 \rangle$

Allan Deviation: $\sigma_y(\tau) = \sqrt{\sigma_y^2(\tau)}$

Example:



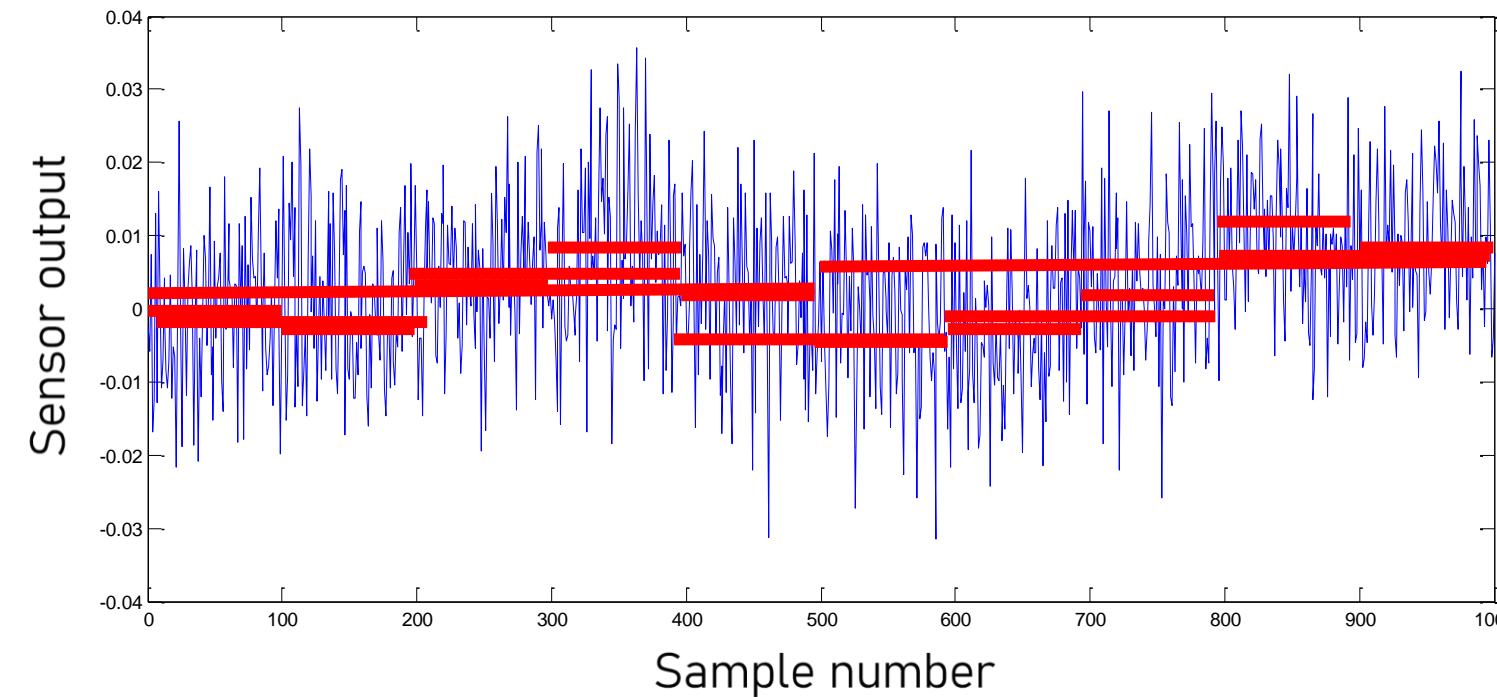
$$\rightarrow \sigma_y^2(\tau) = \frac{1}{2} \frac{(y_2 - y_1)^2 + (y_3 - y_2)^2 + (y_4 - y_3)^2 + (y_5 - y_4)^2}{4}$$

1. Partition the data
2. Compute the mean in each partition
3. Evaluate the difference of the means of adjacent sections
4. Square each differences
5. Compute the average

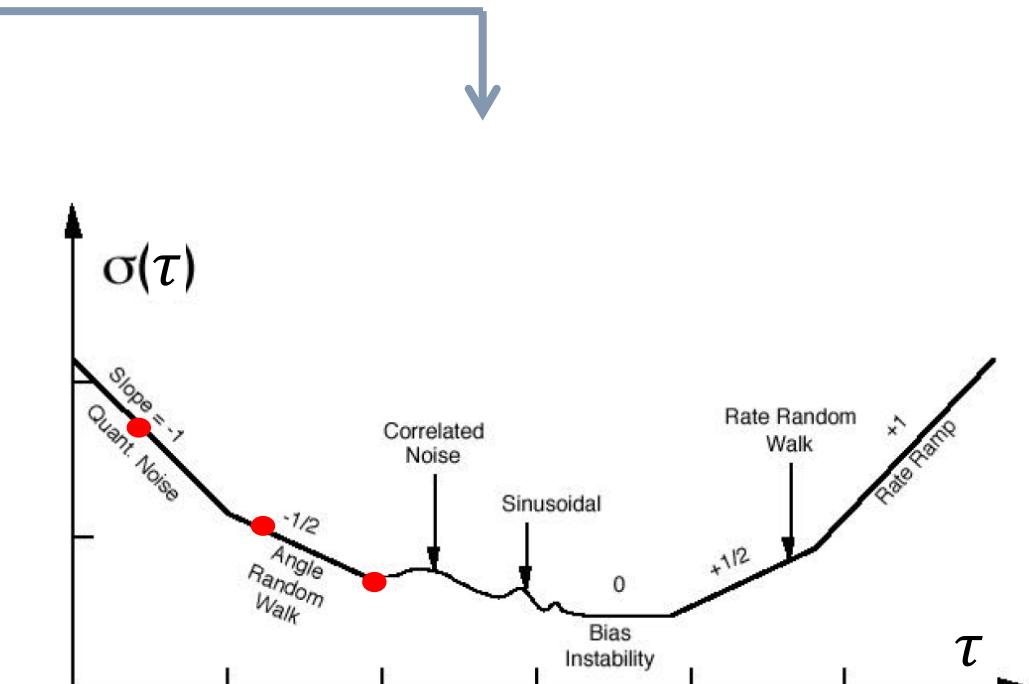
Allan Deviation

How to compute it?

Example:



$\sigma - \tau$



$$\rightarrow \sigma_y^2(\tau) = \frac{1}{2} \frac{(y_2 - y_1)^2 + (y_3 - y_2)^2 + (y_4 - y_3)^2 + (y_5 - y_4)^2}{4}$$

- Analysis of the frequency stability of the signal in the time domain \leftrightarrow PSD in the frequency domain
- Highlights noise originated from random process: *bias drift, quantization noise, ...*
- Sensitivity of the AQG at short-term and stability at long-term